1 2 3	Supplementary information for "The influence of ground shaking on the distribution and size of coseismic landslides from the M <sub>w</sub> 7.6 2005 Kashmir earthquake"
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### 31 Supplementary Movie Captions:

32 Supplementary movies can be found at 10.5281/zenodo.12534705

33 Movie S1: Movie of the vertical velocity wavefield from the low frequency source ORIG

34 through time where red and blue are positive and negative velocity (positive = Up, negative =

35 Down). Black star shows the location of the epicenter of the earthquake and the black line with

36 red triangles shows the surface rupture.

37 Movie S2: Movie of the absolute value of the maximum horizontal velocity wavefield from the

38 low frequency source ORIG through time. Black star shows the location of the epicenter of the

39 earthquake and the black line with red triangles shows the surface rupture.

40 Movie S3: Movie of the vertical velocity wavefield from the high frequency source HF through

41 time where red and blue are positive and negative velocity (positive = Up, negative = Down).

42 Black star shows the location of the epicenter of the earthquake and the black line with red

43 triangles shows the surface rupture.

44 **Movie S4:** Movie of the absolute value of the maximum horizontal velocity wavefield from the

45 high frequency source HF through time. Black star shows the location of the epicenter of the

46 earthquake and the black line with red triangles shows the surface rupture.

#### 48 Supplementary Text

# 49 Text S1: Model validation

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51 There are no available seismometers or high-rate GPS stations in the modeled region 52 from this earthquake to compare to our ground shaking data. To validate synthetic ground 53 motions, we compare our simulations to the USGS ShakeMap. This uses the NGA-West2 54 database attenuation relationships (Abrahamson et al., 2014; Boore et al., 2014; Campbell & 55 Bozorgnia, 2014; Chiou & Youngs, 2014) and felt intensity data to calculate PGV with a 56 uniform  $V_{s30} = 760$  m/s. Because there were no near-field stations to record ground shaking, only 57 reported intensity values are included in the ShakeMap, likely leading to large uncertainties. Fig. 58 S3 shows the comparison of ShakeMap to the simulations for both ORIG (low frequency) and 59 HF (high frequency) using a homogeneous velocity model (dashed lines) and a 1D velocity 60 model with a 1 km slower velocity layer with a linear gradient to 1500 m/s at the surface (solid 61 lines). We also plot the felt intensity values used in the USGS ShakeMap as gray circles. Both 62 ORIG and HF for the homogeneous model have much lower PGVs, therefore we discount them 63 in further analysis. For the simulations with a slower velocity layer at the surface, ORIG clearly 64 has much lower PGV values compared to ShakeMap while HF has lower PGV values but is 65 more comparable overall, leading us to conclude that ORIG is less realistic compared to HF. We 66 expect that the HF simulations will be somewhat different compared to ShakeMap because (1) 67 our simulations are not capturing the entire range of frequencies that likely influence the highest 68 felt intensities near the fault, (2) ShakeMap uses a lower  $V_{s30}$  value, and (3) GMMs with uniform 69 site conditions typically produce homogeneous ground motions along the length of the fault 70 (Rrup = 0 km) whereas our simulations have variable slip and rupture dynamics along the fault

71 that is being averaged and likely decreasing the near-fault average values, illustrated by the 72 increase in the spread of values in Fig. S2 for ORIG and HF compared to ShakeMap. 73 Fig. S3c shows the comparison of the points along the fault used in the averaged lines in 74 (a) and (b) for PGV from HF in a layered model and ShakeMap. This shows that HF primarily 75 has weaker ground motions compared to the ShakeMap except for where we see a peak up to 76  $\sim$ 140 cm/s located at the surface rupture due to directivity and the rupturing of the main slip 77 asperity. This also shows that points on the footwall have higher PGVs compared to the 78 ShakeMap. This mismatch on the footwall is likely due to the higher ground shaking that we see 79 in our simulations in the southwest due to directivity of the wavefield causing unexpectedly high 80 amplitudes across the fault. Overall, there is considerable overlap between PGV values from the 81 HF simulation with the low velocity layer and ShakeMap. This is not a perfect match and 82 without a detailed 3D velocity model of the region, specifically including details of near-surface 83 velocities, or recorded waveforms to use for validation, these simulation results should not be 84 used for primary seismic hazard analysis.

85

#### 86 **Text S2:** Calculation of landslide location along hillslope

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The locations of landslides along the hillslope can be indicative of particular mechanisms and triggers, with previous studies showing that earthquake triggered landslides tend to cluster closer to ridges than rainfall triggered landslides (Meunier et al., 2007; Rault et al., 2019). To calculate the location of the landslides along the hillslope, we employ the method of Rault et al., (2019). First, we calculate the normalized distance to the river which is defined as:

$$|d_{st}| = \frac{d_{st}}{d_{st} + d_{tp}}$$
(Eq. 1)

93 Where  $d_{st}$  and  $d_{tp}$  are the minimum distance to a river and ridge, respectively. This value is 94 normalized to the hillslope length on which the landslide is located. This equation gives us a 95 value between 0 and 1, where 0 is located at the river and 1 is located at the ridge.  $|d_{st}|$  is highly 96 dependent on how the locations of ridges and rivers are mapped, which are defined using the 97 methods outlined in the supplement of Dunham et al. (2022) and a river extraction threshold of  $10^7 \text{ m}^2$  of contributing upslope area. We calculate the probability density functions (PDF) of  $d_{st}$ 98 99 for just the cells (from 30 m resolution DEM) effected by landslides ( $PDF_{ls}$ ) and all of the cells 100 in the study region (PDF<sub>topo</sub>) and define the ratio of probability  $R_p$  as:

$$R_p = \frac{PDF_{ls}}{PDF_{topo}}$$
(Eq. 2)

101 Rp normalizes the location along the hillslope to the topography, removing any bias that was 102 introduced due to the method of mapping rivers and ridges. Rp is calculated for "macrocells" that 103 are 4.5 km x 4.5 km, 6 km x 6 km, and 10 km x 10 km to show how the value changes with 104 varying "macrocell" sizes (Fig. S5). Amongst these, only "macrocells" of 4.5 km x 4.5 km show 105 significant spatial variations and therefore are used to inform our interpretations of the landslide 106 catalog. For the PDF<sub>1s</sub>, we use a minimum threshold of 30 cells containing landslides within each 107 larger "macrocell", otherwise that "macrocell" is removed. Rp >> 1 for values of  $|d_{st}| > 0.75$ , and 108 Rp >> 1 for values of  $|d_{st}| < 0.25$  define crest and toe clustering, respectively.  $Rp_{crest}$  is the 109 average Rp within a "macrocell" of values of  $|d_{st}| > 0.75$  and Rp<sub>toe</sub> is the average Rp within a 110 "macrocell" of values of  $|d_{st}| < 0.25$ . Because Rp<sub>crest</sub> and Rp<sub>toe</sub> are mutually exclusive, we report 111 only Rpcrest values.

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115 Landslide catalogs exhibit a distinct power-law relationship between area and frequency 116 for larger landslides and a roll-over for smaller landslides. Frequency-area distributions (FAD) 117 can be characterized by fitting the power-law with a power-law exponent,  $\alpha$ , to demonstrate the 118 relative distribution of large and small landslides for various subsets of the landslide catalog. A distribution with a higher frequency of large landslides is fit with a smaller (less negative) value 119 120 of  $\alpha$ , where a lower frequency of large landslides is fit with a larger (more negative) value of  $\alpha$ 121 We determine FADs and values of  $\alpha$  using the methods of Clauset et al. (2009) for various 122 subsets of the landslide database including positive and negative amplification, high and low 123 values of PGV, steep and gentle slopes, high and low elevations, and within and outside of the 124 Muzaffarabad Fm to investigate how these parameters influence landslide size.  $\alpha$  is calculated:

$$\alpha = 1 + n \left[ \sum_{i=1}^{n} ln(\frac{x_i}{x_{min}}) \right]^{-1}$$
 (Eq. 3)

Where  $x_i$ , i=1,2,...n are observed values of x (the distribution of landslide areas) such that  $x_i$  is greater than  $x_{min}$ , i.e. where the curve shows a deflection away from the power-law. For this data set, we set  $x_{min}$  to  $17^3 \text{ m}^2$ . We calculate error for  $\alpha$  using the standard error estimate in the maximum likelihood estimation,  $\sigma = (\alpha - 1)/\sqrt{n}$ .



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Figure S1: Slip and rise time of 5 source time functions for individual subfaults. (top) slip 132 133 model from Avouac et al. (2006). Each source has 5 source time functions which are shown here 134 as numbers 1 through 5. In the original model, each subfault has a rise time of 3s and 1-5 source 135 time functions start 1.5s (50%) after the previous source time function. (middle) constant rise 136 times from ORIG (bottom) modified rise times based on Eq. 1 from the main text, defining the 137 rise time distribution of HF.



**Figure S2:** *PGV and amplification maps for simulations using a homogeneous velocity model.* (a) Horizontal PGV and (b) amplification for ORIG. (c) Horizontal PGV and (d) amplification for HF. Line denotes surface rupture. (e) Example waveforms for the north, east, and vertical component of 7 stations (plotted on a/c) for ORIG (blue triangles) and HF (black triangles). PGV of each seismogram labeled in cm/s (ORIG – blue, HF – black).



**Figure S3:** *Model validation comparing USGS ShakeMap to synthetic PGV.* (a) Hanging wall and (b) footwall measurements of PGV related to the distance from the fault surface  $(R_{Rup})$ . Solid black lines are PGVs from the USGS ShakeMap and accompanying felt intensities (gray circles). Green and blue lines are PGV from ORIG and HF synthetic sources, respectively. Dashed and solid lines denote homogeneous and layered velocity models, respectively. (c) ShakeMap PGV vs HF PGV with the layered velocity model. Circles are colored by hanging wall (orange) or footwall (red) and black solid line shows a 1-1 ratio. Orange and red lines represent the best fit lines to the hanging and footwall, respectively, with  $R^2$  values denoted in their corresponding color.



**Figure S4:** *Comparison of flat mesh elevations for amplification calculation.* (a-c) PGV amplification calculated for ORIG with a homogeneous velocity model using progressively higher elevation flat meshes, elevations labeled. (d-f) PGV amplification calculated for HF using progressively higher elevation flat meshes, elevations labeled. We choose these elevations as the minimum, average, and maximum elevations of the topography within our study region.



**Figure S5:** *Rpcrest with different "microcell" sizes.* Calculated Rp<sub>crest</sub> values for macrocells with varying sizes; **(left)** 4.5 x 4.5 km **(middle)** 6 km x 6 km **(right)** 10 km x 10 km. Warm colors indicate crest clustering and cool colors indicate toe clustering.



Figure S6: Snapshots of the peak horizontal velocity wavefield. (top) Source ORIG.

(**bottom**) Source HF. Black star is the epicenter, line with red triangles denotes the surface rupture, and timestamps are shown in the lower right corner for each snapshot. Inset shows the slip on the fault at each time step as the sum of slip between each snapshot.

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